

# Having Your Cake and Eating it Too: Combining Strong and Eventual Consistency

Konrad Siek and Paweł T. Wojciechowski

Poznań University of Technology

{konrad.siek,pawel.t.wojciechowski}@cs.put.edu.pl

13 IV 2013



Distributed Systems Group

<http://dsg.cs.put.poznan.pl>

# Software Transactional Memory

```
def thread:  
    lock_a.acquire()  
    lock_b.acquire()  
    a = b  
    lock_a.release()  
    b = b + 1  
    lock_b.release()
```



# Software Transactional Memory

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def thread:  
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    a = b  
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```
def thread:  
    transaction.start()  
    a = b  
    b = b + 1  
    transaction.commit()
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    lock_a.acquire()  
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```
def thread:  
    transaction.start()  
    a = b  
    b = b + 1  
    transaction.commit()
```

## Advantages:

- ease of use on top
- efficient concurrency control under the hood

# Transaction Abstraction

Transaction:

$$T_i \llbracket op_1, op_2, \dots, op_n \rrbracket$$

where  $op = \{ r(x)v, w(x)v, \dots \}$

and  $x$  is some shared object

Commitment:

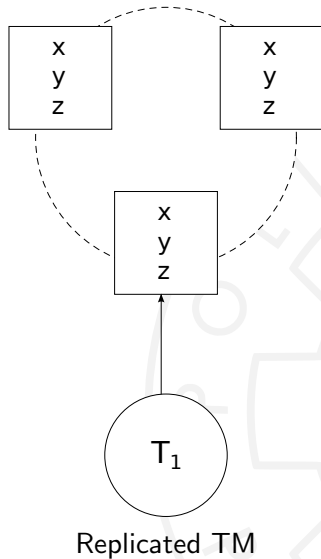
$$\{x = 1\} \quad T_i \llbracket w(x)2 \rrbracket \quad \{x = 2\}$$

Rollback:

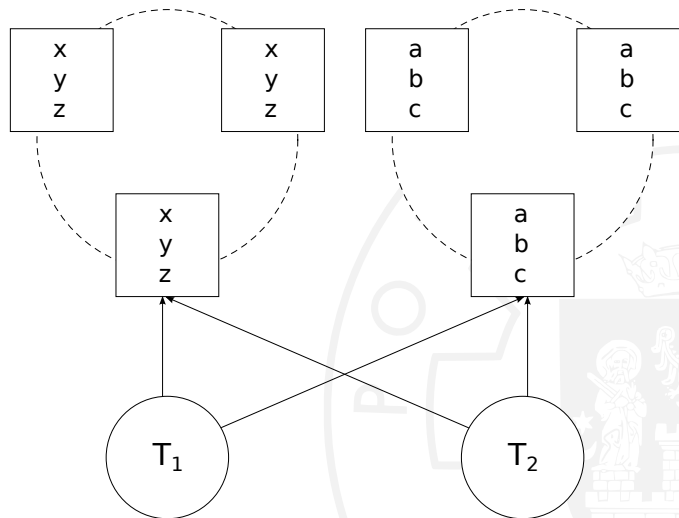
$$\{x = 1\} \quad T_i \llbracket w(x)2, \curvearrowright \rrbracket \quad \{x = 1\}$$

$$\{x = 1\} \quad T_i \llbracket w(x)2, \curvearrowright \rrbracket \rightarrow T'_i \llbracket w(x)2 \rrbracket \quad \{x = 2\}$$

# Distributed Transactional Memory

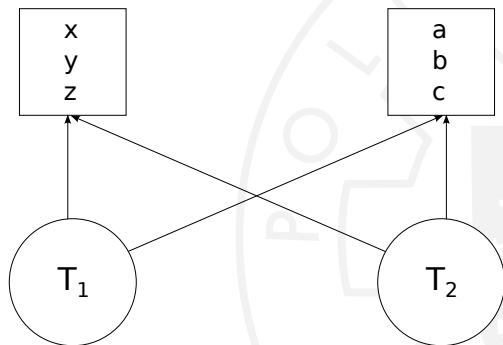


# Distributed Transactional Memory



Distributed Transactions

# Distributed Transactional Memory



Distributed Transactions



# Supremum Versioning Algorithm

Pessimistic approach

$$\begin{array}{l} \{x = 1, y = 1\} \quad T_1 \llbracket r(x)1, w(x)2 \rrbracket \\ | T_2 \llbracket \phantom{r(x)} \phantom{1}, w(x)3 \rrbracket \quad \{x = 3, y = 2\} \end{array}$$

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Pessimistic approach

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- Defer execution to prevent conflicts

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Pessimistic approach

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$\phantom{r(x)1, w(x)2} \phantom{r(x)2, w(x)3}$   $\rightarrow r(x)2, w(x)3$

- Defer execution to prevent conflicts (tolerate high contention)

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- Defer execution to prevent conflicts (tolerate high contention)
- Avoid (most) forced aborts

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## Early release on last use

$$\begin{array}{l} \{x = 1, y = 1\} \quad T_1 \llbracket r(x)1, w(x)2, r(y)1, w(y)2 \rrbracket \\ | T_2 \llbracket \phantom{r(x)1, w(x)2, r(y)1, w(y)2} \rightarrow r(x)2, w(x)3 \rrbracket \quad \{x = 3, y = 2\} \end{array}$$



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Completely distributed (no leader, dispatcher, etc.)





# Bank Application



# Bank Application

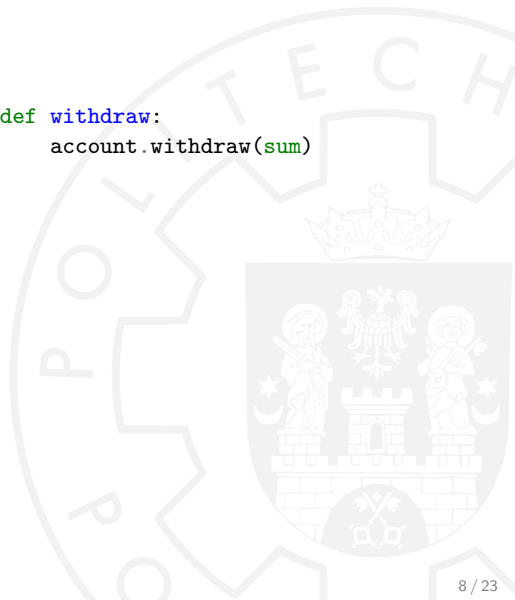
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def deposit:  
    account.deposit(sum)
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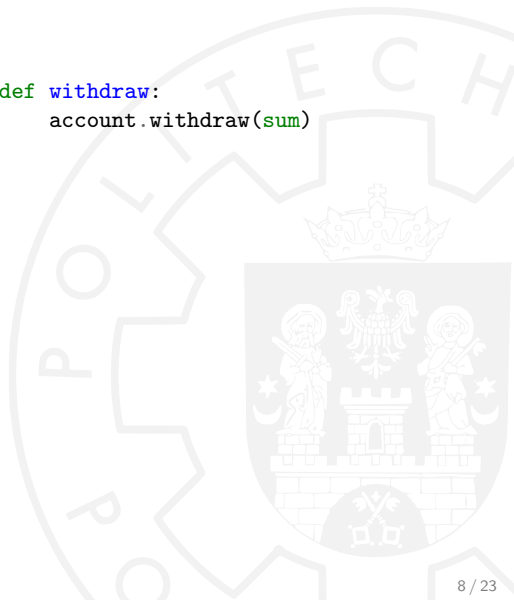
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def withdraw:  
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def transfer:  
    account1.withdraw(sum)  
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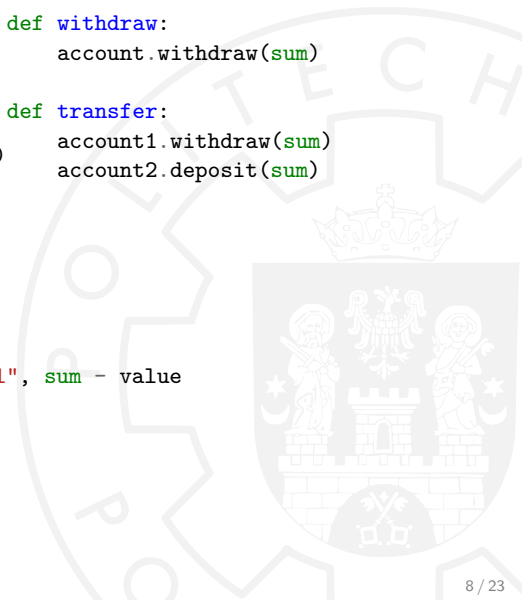
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def deposit:  
    account.deposit(sum)
```

```
def balance:  
    print account.getBalance()
```

```
def audit:  
    for a in accounts:  
        sum += a.getBalance()  
    value = bank.getCapital()  
    bank.setCapital(sum)  
    print "Accumulated capital", sum - value
```

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    account.withdraw(sum)
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def deposit:  
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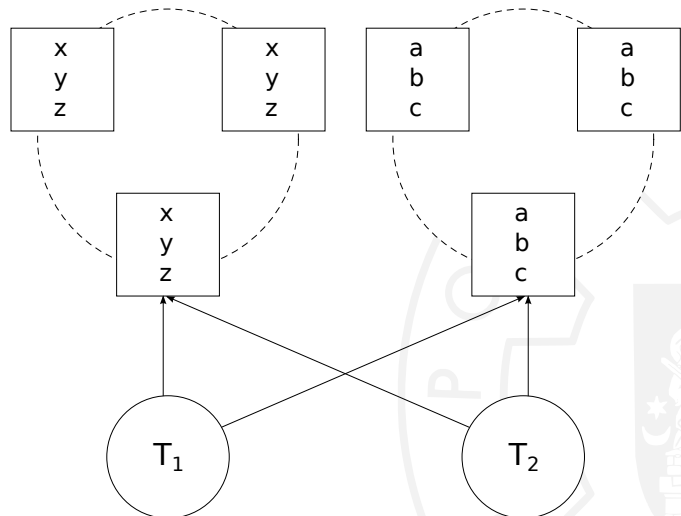
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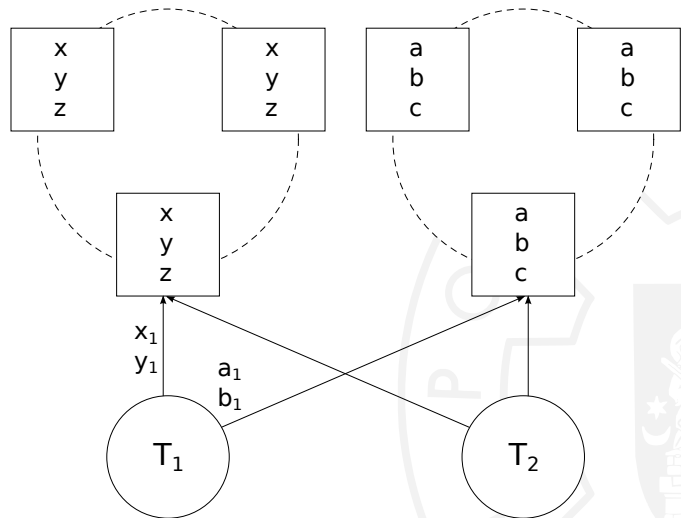
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def transfer:  
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weaken consistency → improve efficiency

# Eventually Consistent Extension



# Eventually Consistent Extension



# What we require from weak transactions

- do not wait for variables



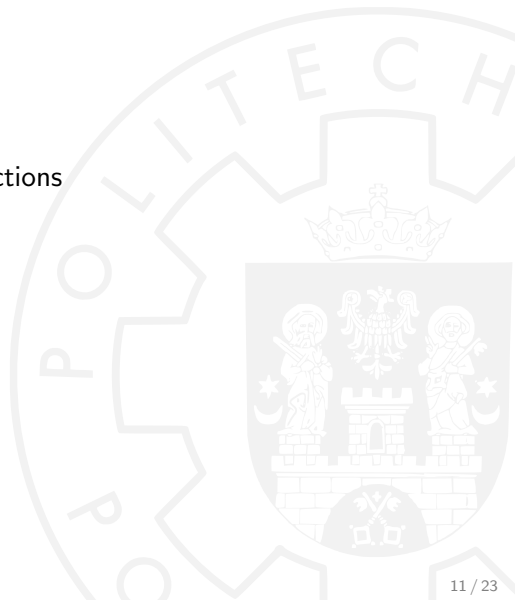
# What we require from weak transactions

- do not wait for variables
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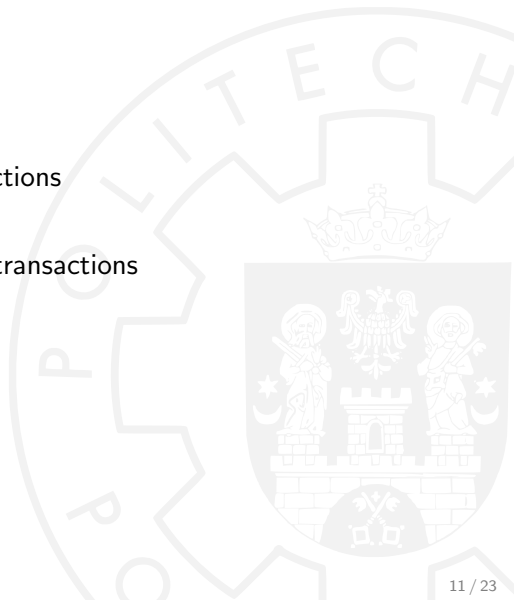
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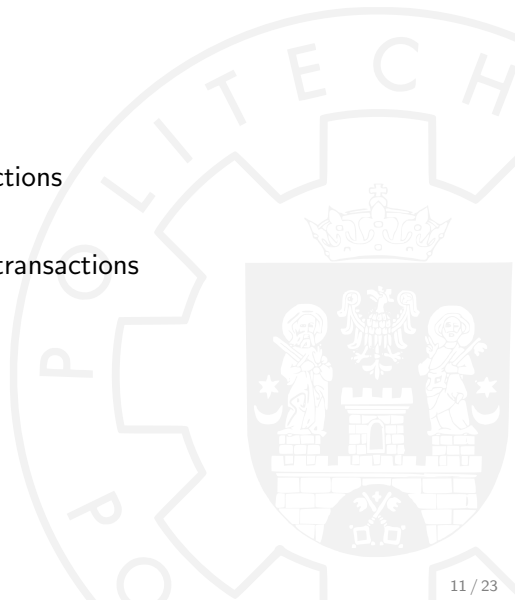
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# What we require from weak transactions

- do not wait for variables
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- converge





# Transaction Modes

Transaction  $T_1$

$$T_1 \llbracket r(x)v_c, w(x)u_c \rrbracket$$



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*Consistent mode*

$$T_1^c \llbracket r(x)v_c, w(x)u_c \rrbracket$$



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*Eventually consistent mode*

$$T_1^{ec} \llbracket r(x)v_{ec}, w(x)u_{ec} \rrbracket$$



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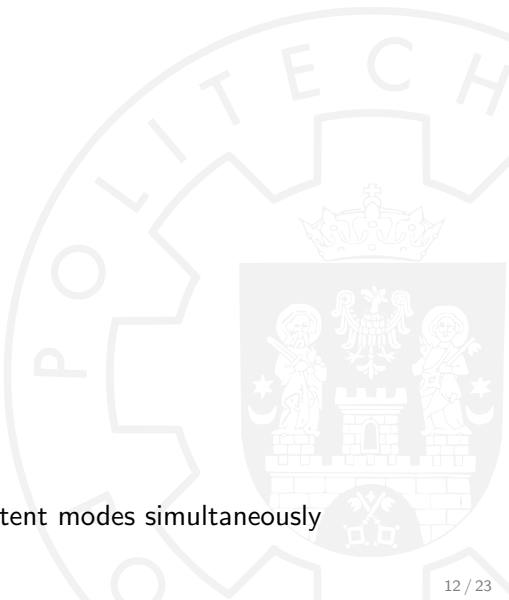
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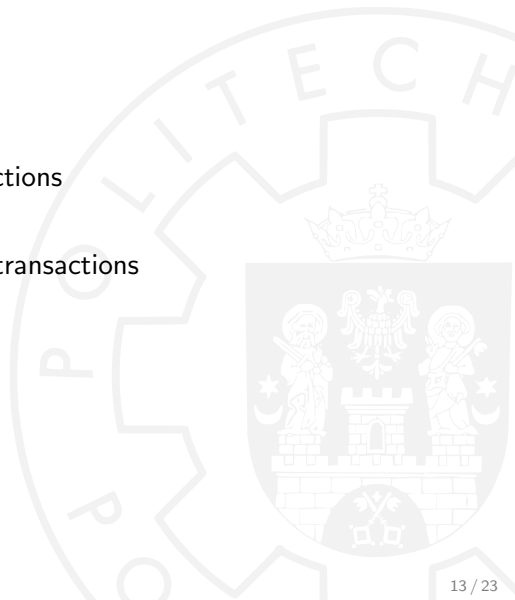
$$T_1^{ec} \llbracket r(x)v_{ec}, w(x)u_{ec} \rrbracket$$

Execute consistent and inconsistent modes simultaneously



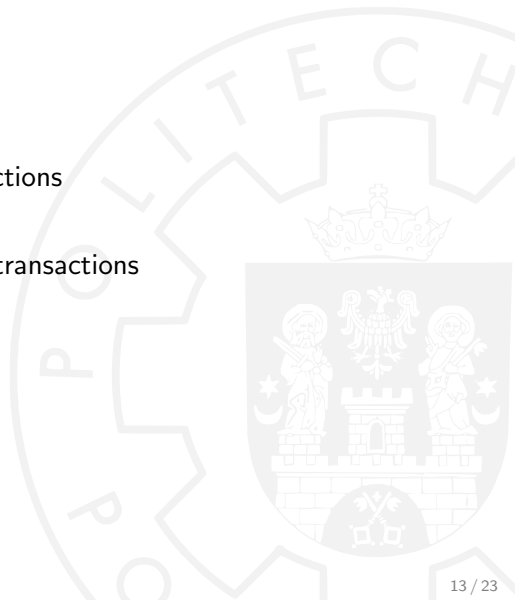
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# Variable Modification Versions

$$\{x = 1, y = 1\} \quad T_1 \left[ \begin{array}{l} r(x)1, w(x)2, r(y)1, w(y)2 \\ | T_2 \left[ \begin{array}{l} \rightarrow r(x)2, w(x)3 \end{array} \right] \end{array} \right] \quad \{x = 3, y = 2\}$$





# Variable Modification Versions

$$\{x^0 = 1, y^0 = 1\} \quad T_1^{ec} \llbracket r(x^0)1, w(x^1)2, r(y^0)1, w(y^1)2 \rrbracket \\ | T_2 \llbracket \phantom{r(x^0)1, w(x^1)2, r(y^0)1, w(y^1)2} \searrow r(x^1)2, w(x^2)3 \rrbracket \quad \{x^2 = 3, y^1 = 2\}$$

## Snapshot Read Consistency

$$T_1 \llbracket r(x^0)1, w(x^1)2, r(y^0)1, w(y^1)2, w(y^2)3 \rrbracket \\ | T_2 \llbracket \phantom{r(x^0)1, w(x^1)2, r(y^0)1, w(y^1)2, w(y^2)3} \searrow r(x^1)2, w(x^2)3 \rrbracket \\ | T_3 \llbracket \phantom{r(x^0)1, w(x^1)2, r(y^0)1, w(y^1)2, w(y^2)3} \searrow r(x^2)3, w(x^3)4, r(y^2)3, w(y^3)4 \rrbracket \\ | T_4 \llbracket \phantom{r(x^0)1, w(x^1)2, r(y^0)1, w(y^1)2, w(y^2)3} \searrow r(x^3)4, w(x^4)5 \rrbracket$$

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## Snapshot Read Consistency

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# Variable Modification Versions

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$$\{x^1, y^2\}, \{x^2, y^2\}, \{x^3, y^3\}, \{x^4, y^3\}$$

# Variable Modification Versions

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$$\{x^1, y^2\}, \{x^2, y^2\}, \{x^3, y^3\}, \{x^4, y^3\}, \{x^3, y^2\}$$

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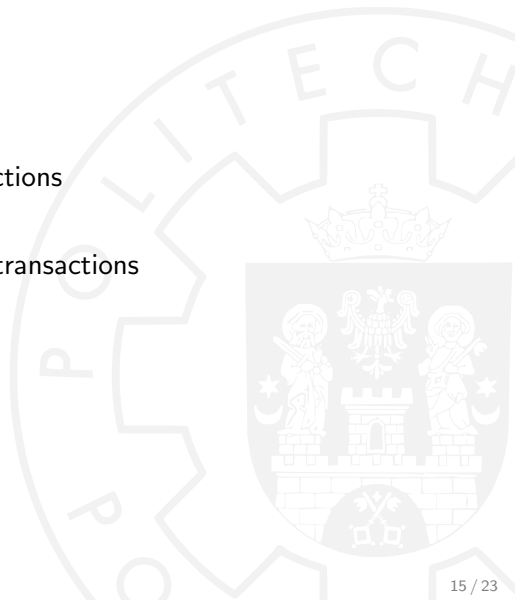
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$$\{x^1, y^2\}, \{x^2, y^2\}, \{x^3, y^3\}, \{x^4, y^3\}, \{x^3, y^2\}, \{x^*, y^1\}$$

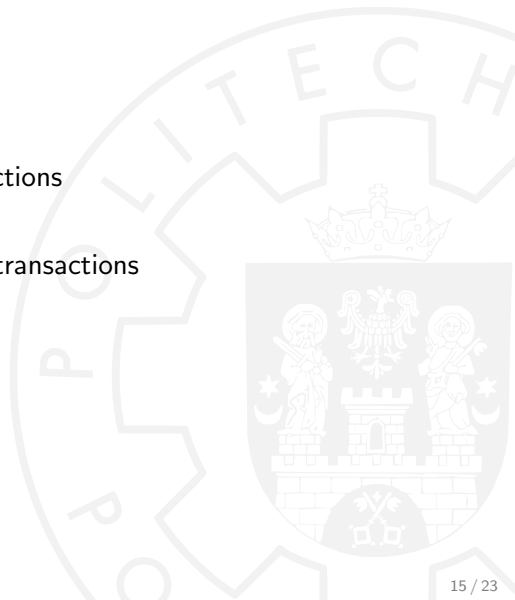
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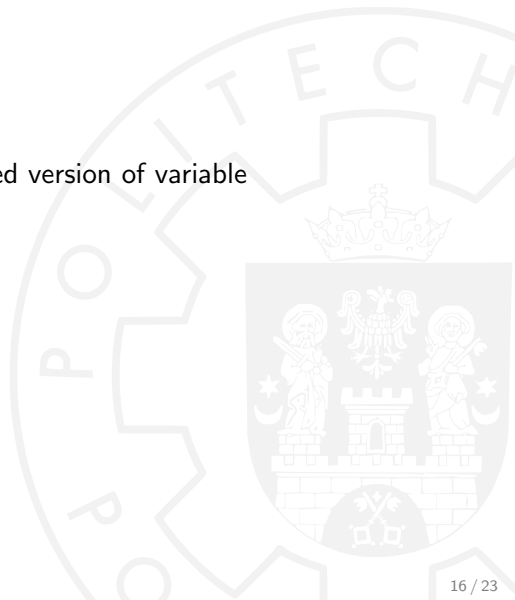




# Consistent Snapshot in Practice

Transactions:

- record the latest committed version of variable



# Consistent Snapshot in Practice

Transactions:

- record the latest committed version of variable
- record the latest released version of variable (early release)

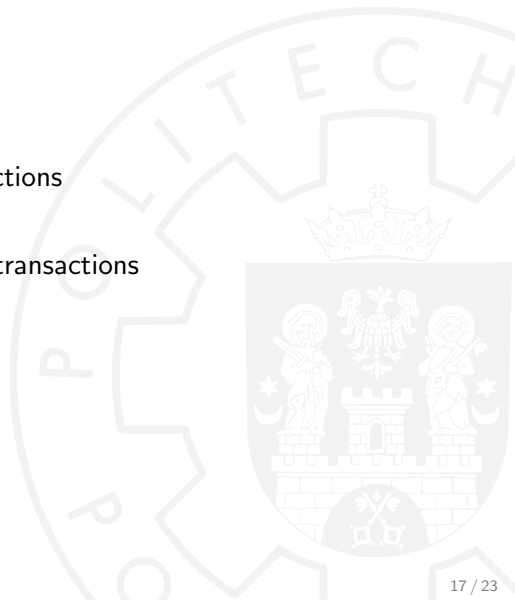
# Consistent Snapshot in Practice

## Transactions:

- record the latest committed version of variable
- record the latest released version of variable (early release)
- when releasing a variable early: record variables that were not released early

# What we require from weak transactions

- do not wait for variables
- do not block other transactions
- internal consistency ✓
- do not disturb consistent transactions
- converge ✓

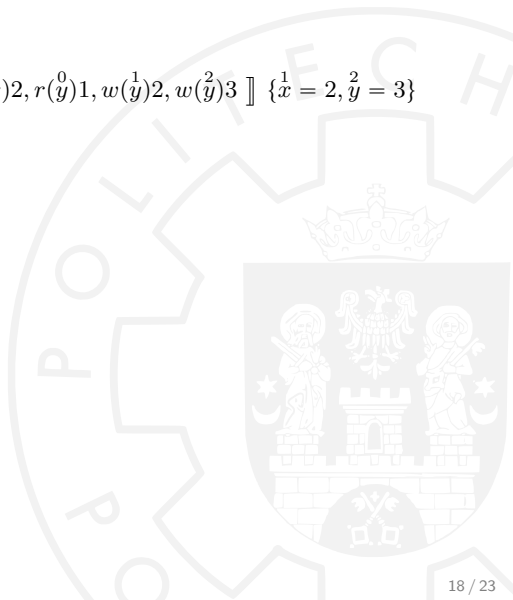


# What we require from weak transactions

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# Write Bufferring

$$\{x^0 = 1, y^0 = 1\} T_1 \llbracket r(x^0)1, w(x^1)2, r(y^0)1, w(y^1)2, w(y^2)3 \rrbracket \{x^1 = 2, y^2 = 3\}$$



# Write Bufferring

$$\{x^0 = 1, y^0 = 1\} T_1 [ r(\underline{x})1, w(\underline{x})2, r(\underline{y})1, w(\underline{y})2, w(\underline{y})3 ] \{x^0 = 1, y^0 = 1\}$$
$$\{x = 2, y = 3\}$$

# Write Buffering

$$\{x^0 = 1, y^0 = 1\} T_1 [ r(\underline{x})1, w(\underline{x})2, r(\underline{y})1, w(\underline{y})2, w(\underline{y})3 ] \{x^0 = 1, y^0 = 1\} \\ \{x = 2, y = 3\}$$

Consistent mode either:

- applies the buffered writes



# Write Buffering

$$\{x^0 = 1, y^0 = 1\} T_1 [ r(\underline{x})1, w(\underline{x})2, r(\underline{y})1, w(\underline{y})2, w(\underline{y})3 ] \{x^0 = 1, y^0 = 1\} \\ \{x = 2, y = 3\}$$

Consistent mode either:

- applies the buffered writes (if consistency condition allows)

# Write Buffering

$$\{x^0 = 1, y^0 = 1\} T_1 [ r(\underline{x})1, w(\underline{x})2, r(\underline{y})1, w(\underline{y})2, w(\underline{y})3 ] \{x^0 = 1, y^0 = 1\} \\ \{x = 2, y = 3\}$$

Consistent mode either:

- applies the buffered writes (if consistency condition allows)
- re-executes from scratch

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# Eventually Consistent SVA

$$\begin{aligned} \{x^0 = 1, y^0 = 1\} & \quad T_1 \left[ \left[ r(x^0)1, w(x^1)2, r(y^0)1, w(y^1)2 \right] \right. \\ & \quad | T_2^c \left[ \begin{array}{l} \phantom{r(x^0)1, w(x^1)2, r(y^0)1, w(y^1)2} \\ \phantom{r(x^0)1, w(x^1)2, r(y^0)1, w(y^1)2} \searrow r(x^1)2, w(x^2)3 \end{array} \right] \quad \{x^2 = 3, y^1 = 2\} \\ & \quad | T_2^{ec} \left[ r(x^0)1, w(\underline{x})2 \right] \end{aligned}$$

# Eventually Consistent SVA

$$\begin{array}{l} \{x^0 = 1, y^0 = 1\} \quad T_1 \llbracket r(x^0)1, w(x^1)2, r(y^0)1, w(y^1)2 \rrbracket \\ | T_2^c \llbracket \phantom{r(x^0)1}, w(x^2)3 \rrbracket \quad \{x^2 = 3, y^1 = 2\} \\ | T_2^{ec} \llbracket r(x^0)1, w(\underline{x})2 \rrbracket \\ | T_3 \llbracket r(x^2)3, w(x^3)4 \rrbracket \end{array}$$

# Summary

- eventual consistency extension for pessimistic distributed TM
- minimal extra cost
- eventually consistent transactions read consistent snapshots
- strongly consistent transactions are unaffected

## Related Papers:

Konrad Siek, Paweł T. Wojciechowski. *Brief Announcement: Towards a Fully-Articulated Pessimistic Distributed Transactional Memory*. In Proceedings of SPAA 2013: the 25th ACM Symposium on Parallelism in Algorithms and Architectures. July 2013.

Paweł T. Wojciechowski, Olivier Rütli and André Schiper. *SAMOA: A Framework for a Synchronisation-Augmented Microprotocol Approach*. In the Proceedings of IPDPS 2004: the 18th IEEE Parallel and Distributed Processing Symposium. April 2004.



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